Cryptography: A Combination of Caesar and Affine Cipher to Conceal the Message

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Abstract. Advances in technology make it easy for humans to communicate with each other. One of them is by sending messages. However, the confidentiality of messages can be hacked by third parties. Therefore, it is necessary to secure the messages sent so that confidentiality can be maintained. One way that can be done to maintain message security is cryptography. Classical cryptography has several types of algorithms including caesar cipher and affine cipher. The purpose of this study is to combine caesar cipher and affine cipher as one technique that can be used to secure messages. This combination is done by changing the plaintext into ciphertext 1 through caesar encryption. Ciphertext 1 is encrypted by affine caesar to produce ciphertext 2. Ciphertext 2 is the message to be sent. Then to change to original message ciphertext 2 is decrypted by affine chiper so that it gets plaintext 1. Then plaintext 1 is decrypted by caesar cipher and affine cipher as that it gets plaintext 2. Plaintext 2 is the message that should be received. The result of this study are a combination of caesar cipher and affine cipher and affine cipher can secure a message sent.

Keywords: Cryptography, Caesar cipher, Affine cipher

INTRODUCTION

Advances in technology, make it easier for humans to communicate with each other. One form of communication that can be done is by long distance messaging. Sending messages can be done via SMS (short message service), e-mail, whatsapp and more. The message sent can be confidential or not confidential. Messages that are not confidential are fine if the message is hacked by a third party. However, confidential messages will be dangerous if hacked by irresponsible parties. Therefore, we need a program to conceal the message.

Discipline aimed at the confidentiality system is called cryptology (Rosen, 2011). One part of cryptology is cryptography. Cryptography is the science and art of maintaining message security (Schneier, 1996). Cryptography is also referred to as scientific studies or techniques to secure digital information, transactions, and distributed computing (Sundarayya P, et al. 2016). So cryptography is a system that can be used to secure information or messages. There are two types of cryptography, namely classical and modern cryptography. For discussion in this paper, more emphasis will be placed on classical cryptography. Previously, in cryptology there were a number of terms that needed to be understood, as shown in table 1 (Rosen, 2011).

Classical cryptography has two basic components of classical cipher: substitution and transposition (Kromodimoeljo, 2010). In substitution cipher letters are replaced by other letters and in transposition cipher the letters are arranged in a different order. Some classical cryptography that can be used to conceal messages is a cesar and affine cipher. The Caesar Cipher is the world's first encoding cipher that was discovered in 1970 by Julius Caesar. Affine cipher is an extension of the caesar cipher. Affine cipher is a cryptographic technique that exchanges monoalphabetic characters. In affine cipher, every character in plaintext will be exchanged with new characters based on the formula used (Babu, 2017). The cipher uses keys in the form of prime numbers in the encryption and decryption process (Sudarayya, 2016).

Tabel 1. A term in cryptology.

Term	Description
Plaintext	A message that is to be altered into a secret form
Ciphertext	A message that has been transformed into a secret form
Encryption	A procedure method for altering a plaintext message into ciphertext by changing the letters
Decryption	of the plaintext using a transformation The reverse process of changing the ciphertext back to the plaintext by the intended receiver

The weakness of the caesar cipher is that the ciphertext results of the transformation are easily solved through the Brute Force method and the percentage of letter frequencies most often appear (Rachmawati and Candra, 2017). Brute Force is a form of attack that dabbles at the possibilities for each key. Therefore, to better maintain the confidentiality of messages, it can combine Caesar ciphers with other types of ciphers. One of them is affine cipher. Affine cipher has advantages that can cover the weakness of caesar cipher. The

advantage is that affine cipher has three different keys in doing encryption, decryption and shift key (Siahaan, 2018). That thing, makes affine cipher more difficult to solve compared to caesar cipher which only has one key.

MATERIALS AND METHODS

Chaesar and Affine Cipher

The cesarean section and affine cipher in concealing messages begin by converting the message into ASCII code. Examples of converting the messages into ASCII code, as shown in table 2.

Tabel 2. Message transformation to code ASCII.

Character	Unicode (Heksadesimal)	ANSI ASCII (Decimal)	Description
SP	20	32	Spacing
!	21	33	exclamation mark (exclamation)
"	22	34	Double quotes
#	23	35	Hash tag (kres)
А	41	65	Latin capital letter A
В	42	66	Latin capital letter B
С	43	67	Latin capital letter C

The combination of cesarean cipher and affine cipher is done by doing encryption and decryption in sequence using both ciphers. So that the plaintext is encrypted with a cesarean cipher will produce a ciphertext 1. Ciphertext 1 is located as a plaintext that is encrypted with an affine cipher so as to produce ciphertext 2. Then for the decryption process, ciphertext 2 is decrypted so that it becomes plaintext. The Plaintext is located as ciphertext 1 which is decrypted so that it becomes a plaintext.

Caesar cipher is part of a cipher called shift transformation. In cesarean cipher to produce encryption that is transforming from plaintext (P) to produce ciphertext (C) can be expressed through the following congruent functions:

$$C \equiv P + k \mod 256, 0 \le P \le 255$$

Where k is the number of ASCII code shifts desired. to decrypt it in a cesarean cipher, it is done by transforming from ciphertext (C) to produce a plaintext (P) can be expressed through the following congruent functions:

$$P \equiv C - k \mod 256, 0 \le P \le 255$$

The steps to encrypt the cesarean cipher are:

- 1. Change the message character in the plaintext to ASCII code
- 2. Determine the value of *k*, then use the transformation $C \equiv P + k \mod 256, 0 \le P \le 255$

- 3. Change the code obtained in step 2 into the message character
- 4. The result in step 3 is the ciphertext message The steps to decrypt a cesarean cipher are:
- 1. Change the message character in the ciphertext to ASCII code
- 2. Determine the value of k, then use the transformation $P \equiv C - k \mod 256, 0 \le P \le 255$
- 3. Change the number obtained in step 2 to the message character
- 4. The results in step 3 are plaintext messages

Affine cipher is an extension of cesarean cipher. In affine cipher to produce encryption that is transforming from plaintext (P) to produce ciphertext (C) can be expressed through the following congruent functions:

$$C \equiv ((a \times P) + b) \mod 256, 0 \le P \le 255$$

Where *a* and *b* are integers. *b* is the number of desired alphabet shifts. *a* must be relatively prime with 256 or (a, 256) = 1 for congruence to be expressed in its inverse [1, 10]. Based on the explanation of the relationship between ciphertext (C) and plaintext (P), then to get the plaintext (P) is the inverse of ciphertext (C). Plaintext (P) can be expressed in the following congruent functions:

$$P \equiv \left(\bar{a}(C-b)\right) \mod 256, 0 \le C \le 255$$

Where \bar{a} is the inverse of $a \pmod{26}$. \bar{a} can be searched using congruence $\bar{a} \equiv a^{\emptyset(256)-1} \pmod{256}$. Or you can use the definition (Rosen, 2011) that "given an integer a with (a, m) = 1, an integer solution x of $ax \equiv 1 \pmod{m}$ is called an inverse of a modulo m."

The steps to encrypt the affine cipher are:

- 1. Change the message character to ASCII code
- 2. Determine the values of *a* and *k*, then use the transformation $C \equiv ((a \times P) + k) \mod 256, 0 \le P \le 255$
- 3. Change the code obtained in step b into the message character
- 4. The results in step c are the chiphertext message The steps to decrypt the affine cipher are:
- 1. Change the message character to ASCII code
- 2. Determine the values of \bar{a} and k, then use the transformation $P \equiv (\bar{a}(C-k)) \mod 256, 0 \le C \le 255$
- 3. Change the code obtained in step b into the message character
- 4. The results in step c are plaintext messages

Encryption

The plaintext message that will be sent SAYA KULIAH

Encryption is done by a combination of caesar and affine cipher

The key used is $k = 8, a = 9$.
$\bar{a} = \bar{9} \equiv 9^{\emptyset(256)-1} \pmod{256} = 57 \pmod{256}$ or
$9x \equiv 1 \; (mod \; 256)$
$9 \times 57 \equiv 1 \pmod{256}$
then $x = 57 = \overline{a}$
Encryption 1 : caesar cipher
Plaintext SAYA KULIAH

Change into ASCII code, then using $C \equiv P + 8 \mod 256, 0 \leq P \leq 255$, the message changes to chipertext 1:

	S	А	Y	А		Κ	U	L	Ι	А	Η
ASCII	83	65	89	65	32	75	85	76	73	65	72
CP 1	91	73	97	73	40	83	93	84	81	73	80

Obtained ciphertext 1

[Ι	а	Ι	(S]	Т	Q	Ι	Р
Encr	yptioi	n 2: <i>a</i>	ffine	ciphe	r					
Plain	text									
[Ι	а	Ι	(S]	Т	Q	Ι	Р
Chan	ige in	to AS	CII c	ode						
91	73	97	73	40	83	93	84	81	73	80

then using $C \equiv ((9 \times P) + 8) \mod 256, 0 \le P \le 255$
the following results are obtained:
$C \equiv ((9 \times 91) + 8) \mod 256 = 59$
$C \equiv ((9 \times 73) + 8) \mod 256 = 153$
$C \equiv ((9 \times 97) + 8) \mod 256 = 113$
$C \equiv ((9 \times 73) + 8) \mod 256 = 153$
$C \equiv ((9 \times 40) + 8) \mod 256 = 112$
$C \equiv ((9 \times 83) + 8) \mod 256 = 243$
$C \equiv ((9 \times 93) + 8) \mod 256 = 77$
$C \equiv ((9 \times 84) + 8) \mod 256 = 252$
$C \equiv ((9 \times 81) + 8) \mod 256 = 225$
$C \equiv ((9 \times 73) + 8) \mod 256 = 153$
$C \equiv ((9 \times 80) + 8) \mod 256 = 216$
59 153 113 153 112 243 77 252 225 153 216
Obtained <i>ciphertext</i> 2

; ÖàÖpóMüáÖØ

Decryption

Dec	Decryption 1: Affine cipher									
Cip	hertez	xt								
;	Ö	à	Ö	Р	ó	М	ü	á	Ö	Ø
Cha	inge i	nto A	SCII	code						
59	153	113	153	112	243	77	252	225	153	216

then using $P \equiv (57(C-8)) \mod 256, 0 \le C \le 255$ the following results are obtained:

$P \equiv$	(57(5	9 – 8)) moo	1256	= 91					
$P \equiv$	(57(1	53 – 8	3)) mo	od 256	5 = 73	3				
$P \equiv$	(57(1	13 – 8	3)) ma	od 256	5 = 97	7				
$P \equiv$	(57(1	53 – 8	3))́ mo	od 256	5 = 73	3				
$P \equiv$	(57(1	12 – 8	3)) ma	od 256	5 = 40)				
$P \equiv$	(57(2	43 – 8	3))́ mo	od 256	5 = 83	3				
$P \equiv$	(57(7	7 - 8)) mod	1256	= 93					
$P \equiv$	(57(2	52 – 8	ý)) mo	od 256	5 = 84	1				
$P \equiv$	(57(2	25 – 8	3)) mo	od 256	5 = 81	1				
$P \equiv$	(57(1	53 – 8	3)) mo	od 256	6 = 73	3				
$P \equiv$	(57(2	16 – 8	3)) ma	od 256	5 = 80)				
			.,							
91	73	97	73	40	83	93	84	81	73	80
Obt	ained	plain	text							
[Ι	a	Ι	(S]	Т	Q	Ι	Р
Dec	ryptic	on 2 :	caesa	ır cip	her					
Cipi	hertex	t		•						
[Ι	а	Ι	(S]	Т	Q	Ι	Р
Cha	nge in	nto nu	mber	s						
91	73	97	73	40	83	93	84	81	73	80
then	u us	ing	$C \equiv$	P-7	7 mo	d 26	$0 \le I$	$P \leq 2$	5,	the
mes	sage o	chang	ed to:							
AS	CII 8	33 65	5 89	65	32	75	85 76	5 73	65	72
Obt	ained	ciphe	rtext							
S	А	Ŷ	А		Κ	U	L	Ι	А	Н

RESULT AND DISCUSSION

Application of Caesar and Affine Cipher

A combination of cesarean section and affine cipher is done so that the encoding is more difficult to solve. That is because, if encoding using a caesar cipher is easy to solve using the brute force method and the most frequent presentation of letter frequencies. One example application of a combination of caesar and affine cipher is that it is used in keeping android-based sms messages (Putra, Mesran, and Sianturi, 2017). The display of Android-based SMS messages can be seen in Figure 1.a, Figure 1.b, and Figure 1.c.

annedity view	1 i el 8 15	10	
Bud From	Affine Cipher	15555215554	
nine Oprier	Kunci a	34y 34, 2016 8:50 29 PM	
ici a	Kunci b	raciana sectional.	
ici b	Caesar Cipher		
esar Cipher			
cik	Kunci k		
-test	5x4y 24, 2016 8:50:29 PM Digit right 45440051		
tikan Pesan Anda disim	15555215538 Nay 34, 2010 3 15:02 PM The whyn 45443051		
	1555525556 54/22.2016 112525 PM Tenne: 2 + 3 / - 1 +		
	19892-1896 July 5, 2016 555:32 PM BYE 0 1946 - 40 #2018-4021070+0 cque010 4424	Tenakan	Hapat
	• - •	• -	
(a)	(b)		(c)

Figure 1. (a). Display Makes Message, (b). Display Receipt Message, (c). Display Message view

Caesar ciphers do not have to be combined with affine ciphers or vice versa to secure messages. Caesar cipher can be combined with other algorithms. Affine cipher can also be combined with other algorithms to secure messages. Affine ciphers can be combined with Merkel Hellman's knapsack algorithm to secure messages Fadlan and Hadriansa, 2017). The combination of affine cipher and knapsack merkel hellman can be designed using Microsoft Visual Studio application. In this combination the message to be sent is transformed first into the ASCII code. The use of transformation into the ASCII code will affect the modulo calculation. In the use of transformation into alphabetical numbers, it is enough to use modulo 26 because the number of alphabet is only 26. But the ASCII code is 256, so the modulo used is modulo 256.

Caesar cipher algorithm can be combined with the RSA algorithm to secure document files or text messages (Gunawan, 2018). The use of this combination is considered safe compared to only one algorithm. That's because this combination will combine the algorithm with the calculation of the structure of the alphabet combined with factoring prime numbers. The process of securing files using a combination of cesarean ciphers and RSA algorithms can use applications the way shown in Figure 2.

CONCLUSIONS

Based on the explanation that has been done, it can be concluded that:

- 1. The combination of cesarean cipher and affine cipher is done because affine cipher has advantages that can cover the shortcomings of cesarean cipher so that the code formed is more difficult to solve. The advantage is that affine cipher has three different keys in doing encryption, decryption and shifting.
- 2. A combination of cesarean cipher and affine cipher can be used to secure messages. This can be seen from the results of manual calculations that have been carried out
- The combination of cesarean cipher and affine cipher one of which can be applied to sending Androidbased SMS

4. Caesar ciphers and affine ciphers can be combined with other algorithms such as combined with knapsack merkel hellman's algorithm or RSA algorithm.

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